

Radiative, magnetic and numerical feedbacks on small-scale fragmentation

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Abstract. Radiative feedback and magnetic field are understood to have a strong impact on the protostellar collapse. We present high resolution numerical calculations of the collapse of a $1 M_{\odot}$ dense core in solid body rotation, including both radiative transfer and magnetic field. Using typical parameters for low-mass cores, we study thoroughly the effect of radiative transfer and magnetic field on the first core formation and fragmentation. We show that including the two aforementioned physical processes does not correspond to the simple picture of adding them separately. The interplay between the two is extremely strong, via the magnetic braking and the radiation from the accretion shock.

1. Introduction

The protostellar collapse of low mass dense cores follows a well-defined sequence of different stages, down to the formation of a protostar. In the first collapse phase (Larson 1969), the compressed gas cools efficiently thanks to the coupling between gas and dust. At higher densities ($\rho > 10^{-13}$ g cm⁻³), the radiation is trapped and the first hydrostatic core (the first Larson core) is formed. At this stage, the grain opacities and the radiation transport play a major role. In the recent past few years, a lot of progress in the computational star formation field has been done. For instance, a lot of radiation hydrodynamics (RHD) methods have been developed for grid based codes (e.g., Krumholz *et al.* 2007, Kuiper *et al.* 2010) and for smoothed particles hydrodynamics (SPH) codes (Whitehouse & Bate 2006, Stamatellos *et al.* 2007). Applying these methods to star formation, it turns out that a barotropic EOS cannot account for realistic cooling and heating of the gas (e.g., Commerçon *et al.* 2010). On larger scales, radiative transfer has been found to efficiently reduce the fragmentation thanks to radiative feedback due to the accretion and the protostellar evolution (Bate 2009, Offner *et al.* 2009). Regarding magnetic field in the star formation context, a gradually improved expertise has been developed for magnetohydrodynamical (MHD) flows (e.g., Hennebelle & Teyssier 2008, Machida *et al.* 2008). All these studies showed that magnetic fields reduce efficiently the fragmentation of prestellar cores. Recently, it has been shown that both radiative transfer

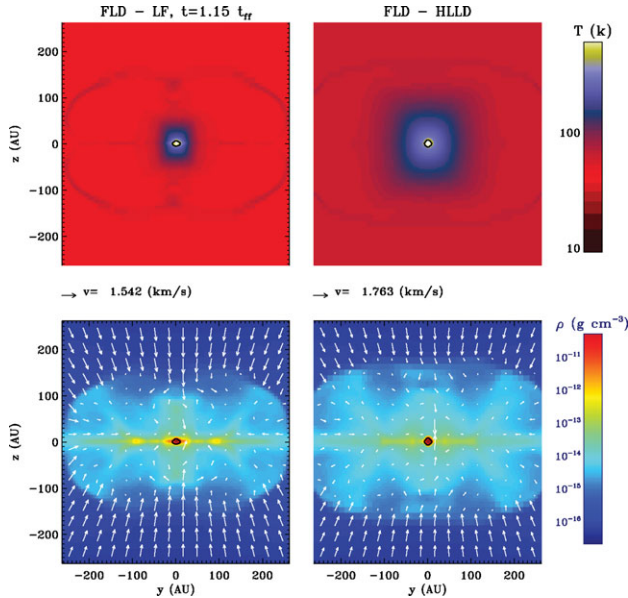


Figure 1. Temperature and density maps in the yz -plane at time $t = 1.15t_{\text{ff}}$ for two calculations with the FLD and the LF (left) and the HLLD (right) Riemann solvers.

cell violating the Jeans length criterion. The initial resolution of the grid contains 64^3 cells. We use the low temperature grey opacities of Semenov *et al.* (2003).

3. Results

- *Effect of the solver:* Figure 1 shows temperature and density maps in the yz -plane for two calculations with the FLD and the LF and the HLLD Riemann solvers. Each calculation has been performed using $N_J = 15$ and $N_{\text{exp}} = 4$. The FLD-LF case leads to spurious fragmentation as it is shown in Commerçon *et al.* (2010). The bubble (dense region, $\rho > 10^{-15}$ g cm $^{-3}$), driven by magnetic pressure due to the magnetic field line wrapping, is less extended in the FLD-LF case, and the disc is thus more massive and more prone to fragmentation. We identify the accretion shock on the first Larson core as a *supercritical radiative shock*, i.e. all the infalling kinetic energy is radiated away. Consequently, the radiative feedback due to the accretion on the first Larson core is much larger in the FLD-HLLD case, since the magnetic braking and thus the infall velocity are larger thanks to the less diffusive HLLD Riemann solver (Commerçon *et al.* 2010).

- *Effect of the numerical resolution:* Figure 2 shows temperature and density maps in the xy -plane for three calculations using the FLD and the LF Riemann solver, with various resolutions: ($N_J = 15$; $N_{\text{exp}} = 2$), ($N_J = 15$; $N_{\text{exp}} = 4$) and ($N_J = 20$; $N_{\text{exp}} = 4$). We clearly see that increasing the resolution, from left to right, leads to a decrease in the number of fragments produced. As resolution increases, the diffusivity of the LF solver is reduced, the disc is then less massive, and the magnetic braking more efficient. Using the HLLD solver and barotropic calculations, Commerçon *et al.* (2010) show that the correct behavior is the case without fragmentation.

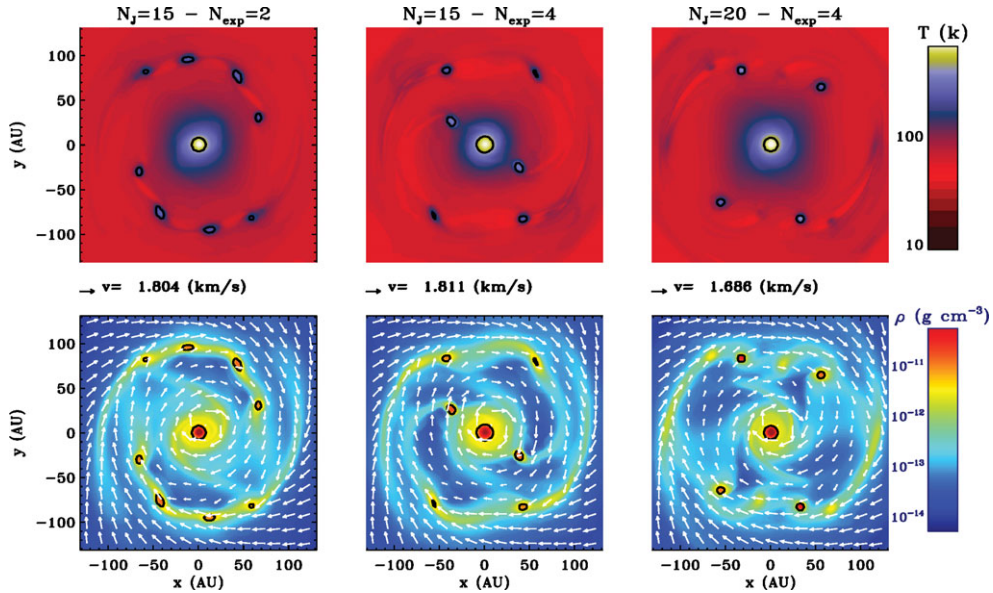


Figure 2. Temperature and density maps in the xy -plane at time $t = 1.15t_H$ for three calculations using the FLD and the LF Riemann solver, with various resolutions.

4. Conclusion

We show that taking into account both radiative transfer and magnetic field is not a straightforward linear process. We show that the magnetic braking and the magnetic bubble extent influence: i) the radiative feedback via the infall velocity and ii) the fragmentation via the disc mass and the rotational velocity. Last but not least, the results are extremely sensitive to the numerical resolution and to the numerical diffusivity of the code used, which readers and authors should be aware of.

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